

Software System Design and Implementation

Functional Programming

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Course software

How to install Haskell (see 'Course Software' on COMP3141 website)

If you're using a Mac and want the Haskell for Mac IDE, please reply to my email

What is functional programming?

Common properties of functional languages

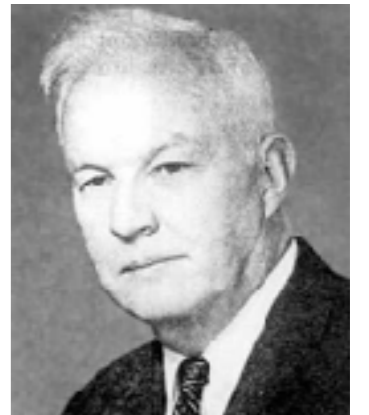
- Functions are the main device to structure programs
- Based on the lambda calculus
- The use of higher-order functions is encouraged
- Side effects are used in a disciplined manner (pure functions)
- Sophisticated type systems (though, the Lisp family is dynamically typed)

Functional programming with Haskell

Haskell



- Broad-spectrum programming language
- Widely used with over 2500 open-source libraries and tools
- Haskell is a principled language
 - ▶ Purely functional
 - ▶ Strictly isolating side effects
 - ▶ Strongly typed with a surprisingly expressive type system



Haskell B. Curry

<http://haskell.org/>

Simple Functions in Haskell

```
harmonicMean x y = (2 * x * y) / (x + y)
```

function name

parameters

body

Functions in Haskell

Optional type annotation

```
harmonicMean :: Double -> Double -> Double
harmonicMean x y = (2 * x * y) / (x + y)
```

C

```
double harmonicMean(double x, double y)
{
    return (2 * x * y / (x + y));
}
```


C

```
double harmonicMean(double x, double y)
{
    double prod = 2 * x * y;
    double sum  = x + y;
    return (prod / sum);
}
```

Optional, but considered good style

Haskell

```
harmonicMean :: Double -> Double -> Double
harmonicMean x y = prod / sum
  where
    prod :: Double
    prod = 2 * x * y
    sum  :: Double
    sum  = x + y
```

Demo

Can **not** be updated!
Just like in math.

Usually omitted

Simple functions

- Selection between multiple equations is by **pattern matching or guards**

Patterns

```
fact :: Int -> Int
fact 0 = 1
fact n = n * fact (n - 1)
```

Guards

```
fact :: Int -> Int
fact n | n == 0    = 1
      | otherwise = n * fact (n - 1)
```

```
int fact(int n) {
    int res = 1;
    while (n > 0) {
        res = res * n;
        n--;
    }
    return (res);
}
```

- Constants are simply functions with no arguments

```
theAnswer :: Int  
theAnswer = 2 * 21
```

“-> “ is right associative, that is

```
harmonicMean :: Double -> Double -> Double
```

is the same as

```
harmonicMean :: Double -> (Double -> Double)
```

can be interpreted as a function that takes one Double value, and returns a new function as result

```
harmonicMean :: Double -> Double -> Double
harmonicMean x y = (2 * x * y) / (x + y)
```

```
janesFinal :: Double -> Double
janesFinal examMark = harmonicMean 89 examMark
```

“-> “ is right associative, that is

```
harmonicMean :: Double -> Double -> Double
```

is the same as

```
harmonicMean :: Double -> (Double -> Double)
```

can be interpreted as a function that takes one Double value, and returns a new function as result

```
harmonicMean :: Double -> Double -> Double
harmonicMean x y = (2 * x * y) / (x + y)
```

```
janesFinal :: Double -> Double
janesFinal examMark = harmonicMean 89 examMark
```

```
jebesFinal :: Double -> Double
jebesFinal = harmonicMean 75
```

Type inference

- Compiler can work out (nearly) all types by itself
 - ▶ You can prototype, leaving out the types, and add them later
- Type signatures are documentation
 - ▶ The compiler makes sure the documentation is in sync with the code
- Type signatures catch bugs early — compiler complains if they are wrong!

**This is the best
of both worlds!**

Higher-order functions

```
applyTwice :: (Double -> Double)
            -> Double -> Double
applyTwice fn x = fn (fn x)
```

```
> applyTwice sqrt 81
> applyTwice (\x -> x + 5) 81
```

Lambda expression

Parametric polymorphism

- **Polymorphism** has a different meaning in FP than in OO
- Java's generics correspond to **parametric polymorphism**

Type variable

```
applyTwice :: (Doublea -> Doublea) -> Doublea -> Doublea  
applyTwice fn x = fn (fn x)
```


Types

Pre-defined types

- We already saw **function types**: $a \rightarrow b$
- We also saw **elementary types**: `Int`, `Float`, `Double`, `Char`, and so on
- **Tuples** group multiple types: `()`, `(a, b)`, `(a, b, c)`, and so on

```
harmonicMeanT :: (Double, Double) -> Double
harmonicMeanT (x, y) = (2 * x * y) / (x + y)
```

```
harmonicMeanT :: (Double, Double) -> Double
harmonicMeanT pxy
  = (2 * (fst pxy) * (snd pxy)) / (fst pxy + (snd pxy))
```

```
fst :: (a, b) -> a   – functions defined in Prelude
snd :: (a, b) -> b
```

Lists

Pronounced "nil"

- Lists are either **empty**: `[]`
- ...or consist of a **head** and a **tail**: `x : xs`
- Lists are **homogenous** — all elements in one list have the same type
- Lists are **parametric** — different lists may contain elements of different type

Pronounced "cons"

Some operations on lists

- Length of a list
- Concatenating two lists
- Reversing the elements of a list
- Mapping a function over a list

In Haskell!

User-defined types

- Type synonyms (typedefs in C)

```
type Point = (Float, Float)
type Path  = [Point]
```

- Algebraic data types
 - ▶ Combination of structs and unions
 - ▶ together with pointers in C

- Data types can be like structs in C (we call those data types **product types**)

```
data Point2 = MkPoint2 Float Float
```

this is called a
data constructor

fields are not named,
characterised by position
in the definition

```
typedef struct  
    unsigned int x, y;  
} Point2;
```

The corresponding definition in C

```
data Point2 = MkPoint2 Float Float
```

```
point :: Point2
```

```
point = MkPoint2 1.3 2.45
```

```
typedef struct {  
    unsigned int x, y;  
} Point2;
```

```
Point2 point = {1.3, 2.45};
```

```
// or
```

```
Point2 point;
```

```
point.x = 1.3;
```

```
point.y = 2.45
```

```
data Point2 = MkPoint2
  { xPoint :: Float
  , yPoint :: Float
  }
```

fields can also be named

```
point :: Point2
point = MkPoint2 1.3 2.45
- or
point = MkPoint2 {yPoint = 2.45, xPoint = 1.3}
```

```
typedef struct {
  unsigned int x, y;
} Point2;
```

```
Point2 point = {1.3, 2.45};
// or
Point2 point;
point.x = 1.3;
point.y = 2.45
```



```
data Point2 = MkPoint2
  { xPoint :: Float
  , yPoint :: Float
  }
```

```
distance :: Point2 -> Point2 -> Float
distance (MkPoint2 x1 y1) (MkPoint2 x2 y2) =
  sqrt ((x2 - x1)^2 + (y2 - y1)^2)
```

- Problem: define a type to model hostnames, which can be either symbolic (string) or numeric address (4 integer values)
- Data types can be like unions in C (we call those data types **sum types**)

```
data Host = MkNumericIP Int Int Int Int
          | MkSymbolicIP String
```

```
enum tag {NUMERIC_IP, SYMBOLIC_IP};
struct mkNumericIP {
    enum tag theTag;
    unsigned short a, b, c, d;
}
struct mkSymbolicIP {
    enum tag theTag;
    char *hostname;
}
typedef union {
    struct mkNumericIP aNumericIP;
    struct mkSymbolicIP aSymbolicIP;
} Host;
```

The definition in C

Product-Sum Types

- We call Haskell's data types also **product-sum types**
- They can be recursive as well
- In contrast to data types in C, but much like generics in Java and C#, Haskell data types can be **parameterised**

Type parameter

```
data Maybe a = Nothing | Just a
```

Identifiers in Haskell

- Alphanumeric with underscores (`_`) and prime symbols (`'`)
- **Case matters**

Functions & variables	lower case	<code>map, pi, (+), (++)</code>
Data constructors	Upper case	<code>True, Nothing, (:)</code>
Type variables	lower case	<code>a, b, c, eltType</code>
Type constructors	Upper case	<code>Int, Bool, IO</code>

A larger example: Fractal trees

